## Experiencing the Engineering Design Process through a Math Lens NCTM San Francisco, 2016

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| EDP | Questions to Consider | Barbie Bungee |
| :--- | :--- | :--- |
| Step 1: <br> Identify the Problem | What problem are you trying to <br> solve? What are you being asked <br> to find? What are the constraints? |  |
| Step 2: <br> Research | What do you already know about <br> this problem? What do you need <br> to know to solve this problem? |  |
| Step 3: <br> Develop Possible Solutions | What ideas do you have? How <br> does your research support these <br> solutions? What materials will <br> you need? |  |
| Step 4: | What is the best solution? Why? |  |
| Select the Best Solution | What materials will you need? |  |$\quad$.

## Engineering Design Plan (aka the "other" EDP)

## Catapult Launchers

*Read the "Questions to Consider" on the front page when thinking about what to write in your engineering design plan*

## Step 1: Identify the Problem

Design a catapult that accurately launches an M\&M so it hits the target
Constraints:

Step 2: Research

Step 3: Develop Possible Solutions

- Sketch:
- Materials Needed:


## Step 4: Select the Best Solution

## Step 5: Construct a Prototype

## Step 6: Test and Evaluate

a) Put your catapult on the floor. Practice launching the M\&M a few times, then record the distance (meters) and time (sec) for 3 trials in a t-chart. Calculate the average distance and average time.
b) Determine the average fall time of your M\&M:
c) An object's freefall can be determined by the equation, $\Delta=\frac{1}{2} \square \square^{2}$, where $d$ is the vertical distance traveled in meters, $g$ is the effect of gravity ( 9.8 meters $/ \mathrm{s}^{2}$ ), and $t$ is the average fall time (sec). The $y$-value of your vertex is $d$. Find $d$.

## Step 6 Continued:

d) The $x$-value of your vertex can be found by dividing the average horizontal distance by 2 :
e) Write a quadratic equation in vertex form to model the flight path of your M\&M.
f) New challenge: Launch your M\&M onto the floor, while the catapult is on the table. How does this effect your equation? Where would you expect your M\&M to land now? Where should you place the target? Try it!

## Step 7: Communicate the Solution

Step 8: Redesign

The calculations in Step 6 were inspired by this blog post (see post for student-friendly version with more scaffolding): Sweeney, Sean. (2009, Sept 1). M\&M Catapult project pt. 2- The project [web blog post]. Retrieved from http://sweeneymath.blogspot.com/2009/09/m-catapult-project-pt-2-project.html

